

# Study of $b \rightarrow s \gamma$ and $b \rightarrow d \gamma$

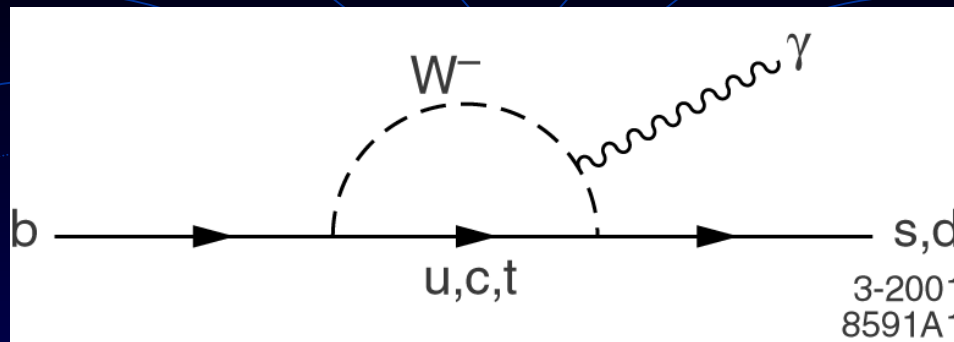
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SLAC

BaBar Collaboration

Conference Papers ABS864, ABS865 and ABS866  
(Also on hep-ex)

# Physics Interest



## Exclusive Measurements:

$$B(B \rightarrow K^* \gamma)$$

$$A_{cp}(B \rightarrow K^* \gamma)$$

$$B(B \rightarrow \rho \gamma) / B(B \rightarrow K^* \gamma)$$

QCD test

Non SM CP violation

Constrain  $V_{td}/V_{ts}$

## Inclusive Measurements:

$$B(b \rightarrow s \gamma)$$

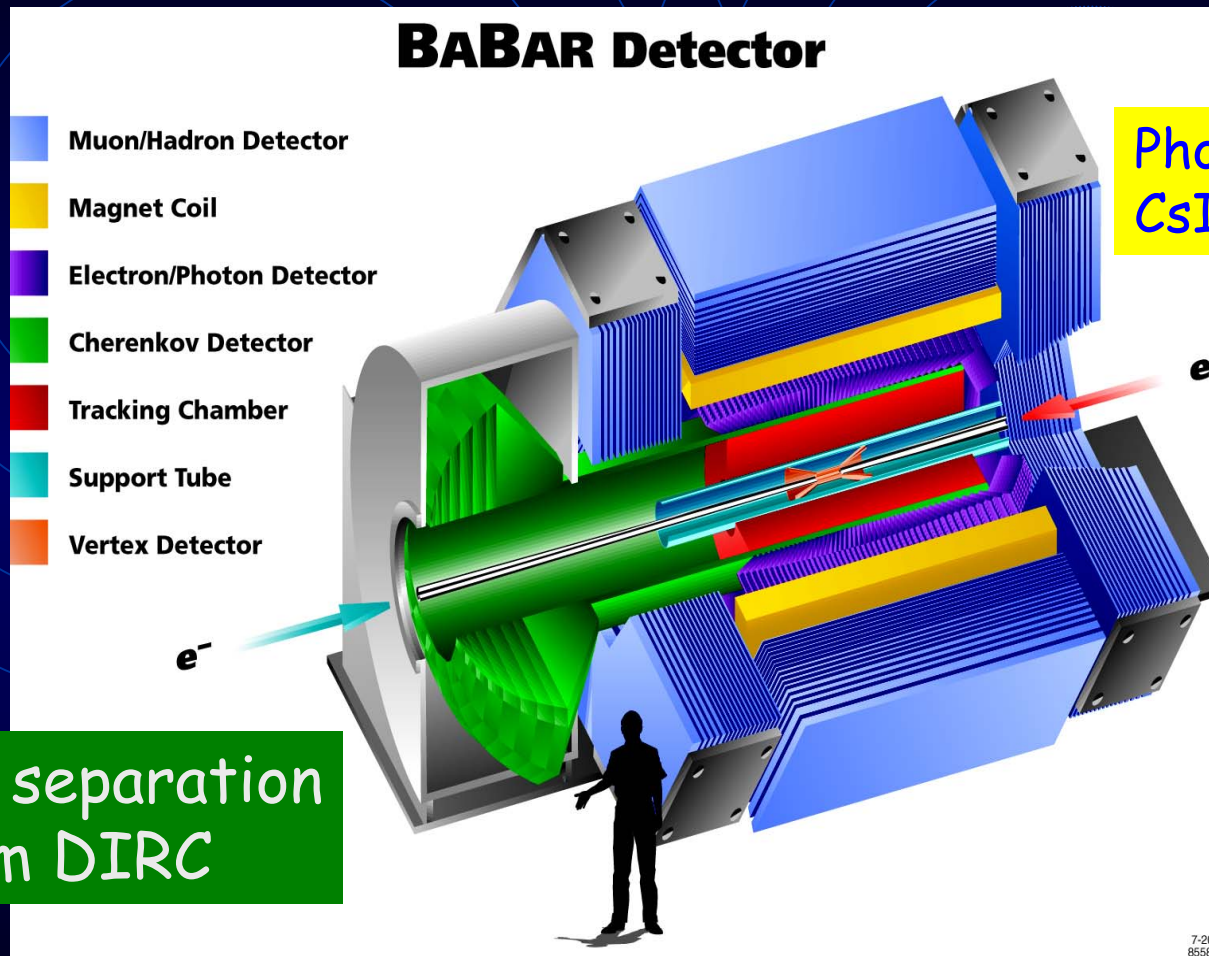
$E_\gamma$  spectrum from  $b \rightarrow s \gamma$

Constrain new physics

Mass and Fermi motion of  $b$

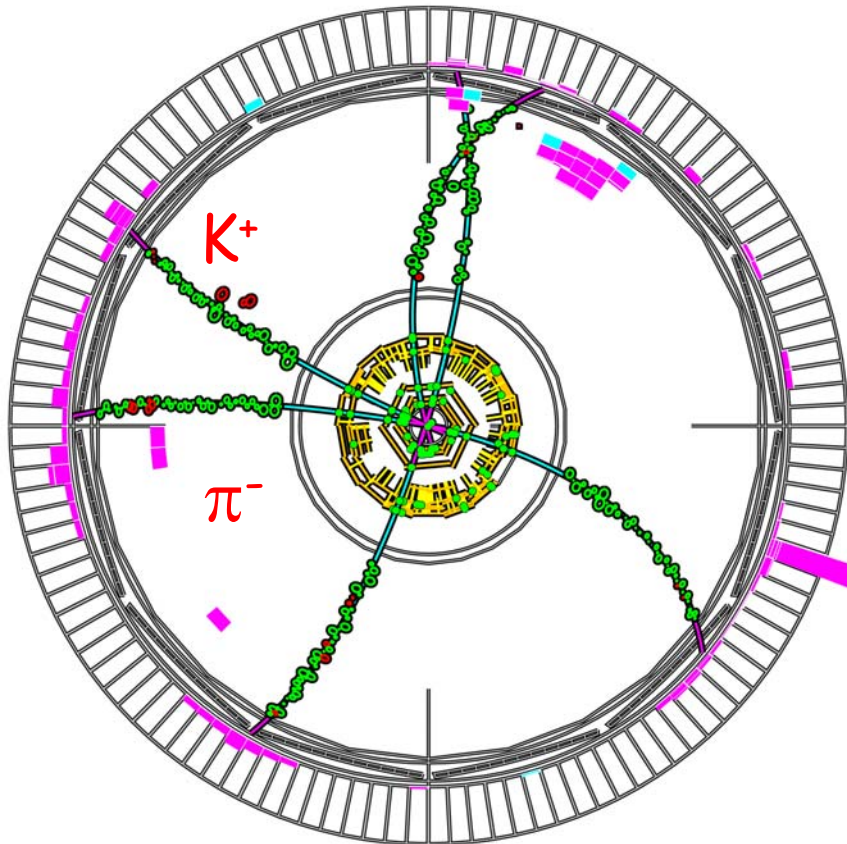
# BaBar Detector

Strengths for  $b \rightarrow s, d \gamma$  studies



Asymmetric  $e^-$  (9 GeV)  $e^+$  (3.1 GeV) collisions at  $\sqrt{s} = 10.56$  GeV

# Event Selection - $\gamma$



Isolated high energy  $\gamma$   
( $1.5 < E_\gamma^* < 3.5 \text{ GeV}$ )

Lateral profile is EM like

Veto photons from  $\pi^0/\eta$

(Un-vetoed  $\pi^0/\eta$  are a significant background)

Note isotropic topology

# Continuum( $q\bar{q}$ ) Background

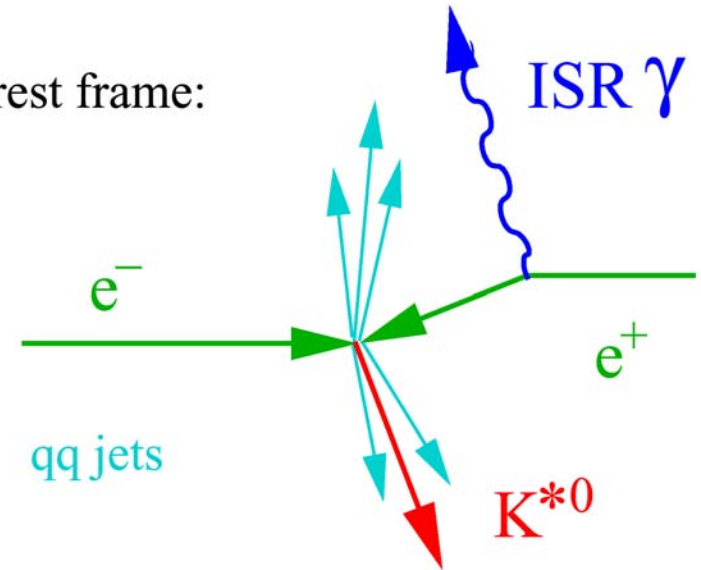
$\bar{q}q, (q = u, d, s, c)$   
"underneath" the  $b\bar{b}$

"Jet-like" topology as  $q\bar{q}$   
produced above threshold

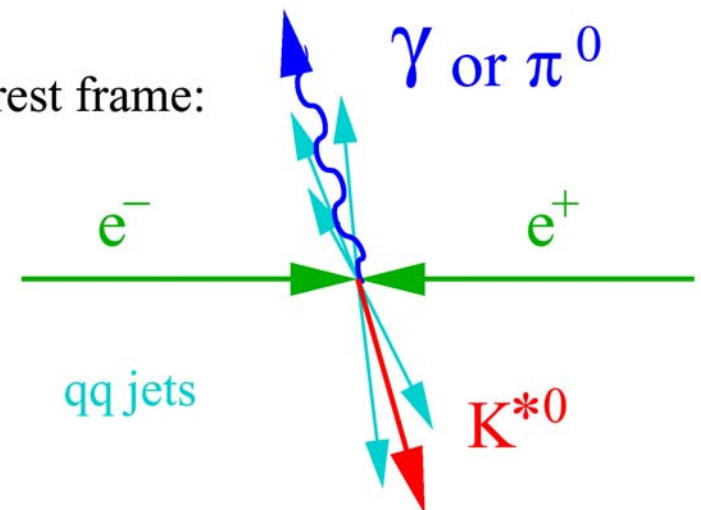
"shape" variables w.r.t to  $\gamma$   
e.g.  $\cos \theta_{\text{Thrust-}\gamma}$ , energy flow

Combinations of variables,  
e.g Neural Net, help with  
two component background

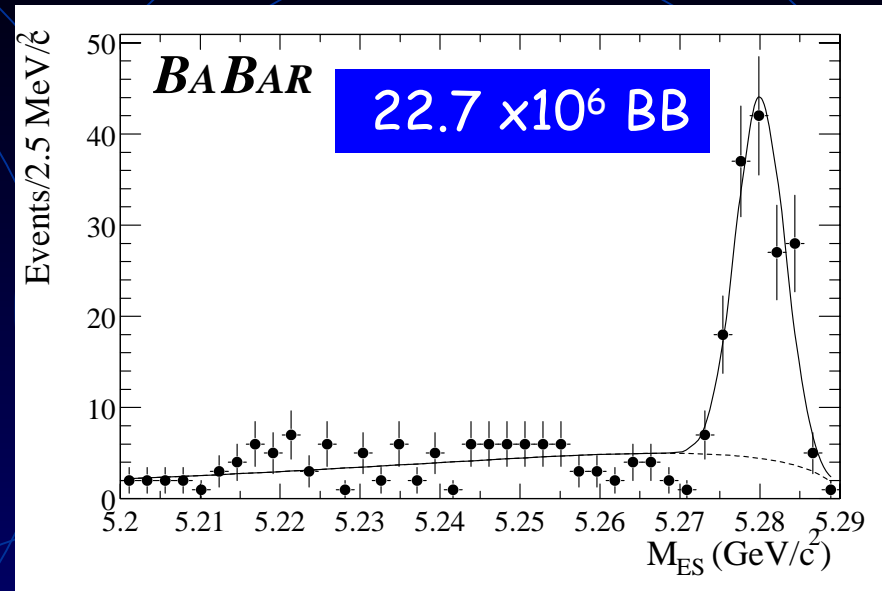
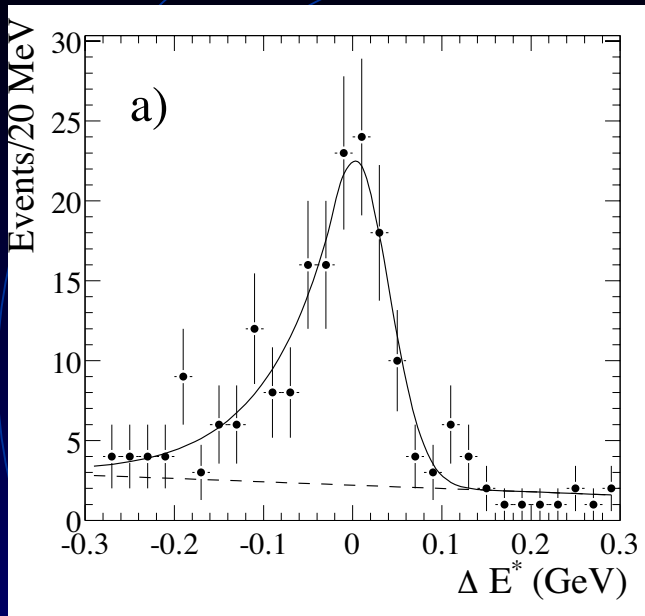
Y4S rest frame:



Y4S rest frame:



# $B(B \rightarrow K^* \gamma)$ and $A_{cp}(B \rightarrow K^* \gamma)$



$$\Delta E^* = E_B^* - E_{beam}^*$$

(\* = CMS frame)

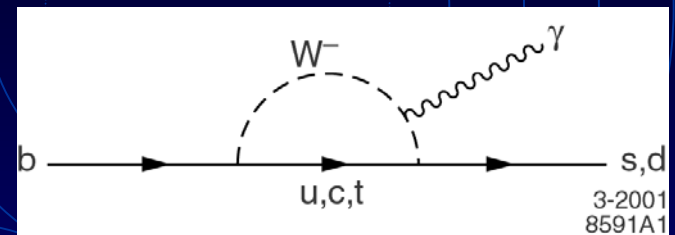
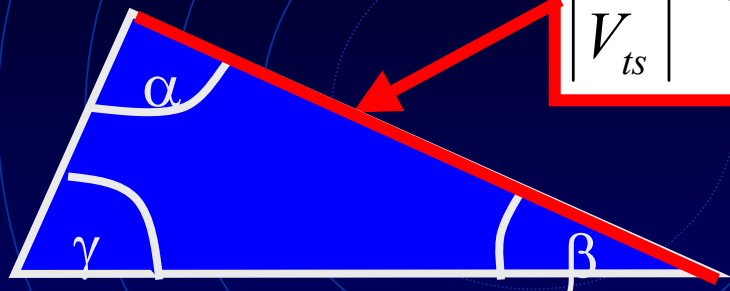
$$M_{ES} = \sqrt{(E_{beam}^{*2} - p_B^{*2})}$$

	$B(B^0 \rightarrow K^{0*} \gamma) / 10^{-5}$	$B(B^+ \rightarrow K^{+*} \gamma) / 10^{-5}$	$A_{cp}$
Theory(avg.)	$7.5 \pm 3.0$	$7.5 \pm 3.0$	$ A_{cp}  < 0.005$
<i>BaBar</i> PRL 88, 161805(2002)	$4.23 \pm 0.40$ (stat.) $\pm 0.22$ (sys.)	$3.83 \pm 0.62$ (stat.) $\pm 0.22$ (sys.)	$-0.17 < A_{cp} < 0.08$ (90 % C.L)



# Search for $B \rightarrow \rho, \omega \gamma$

$$\left| \frac{V_{td}}{V_{ts}} \right|^2 \propto \frac{B(B \rightarrow \rho \gamma)}{B(B \rightarrow K^* \gamma)}$$



Goal is to measure and compare to  $\Delta M_s / \Delta M_d$  B-mixing to over-constrain CKM

## Challenges

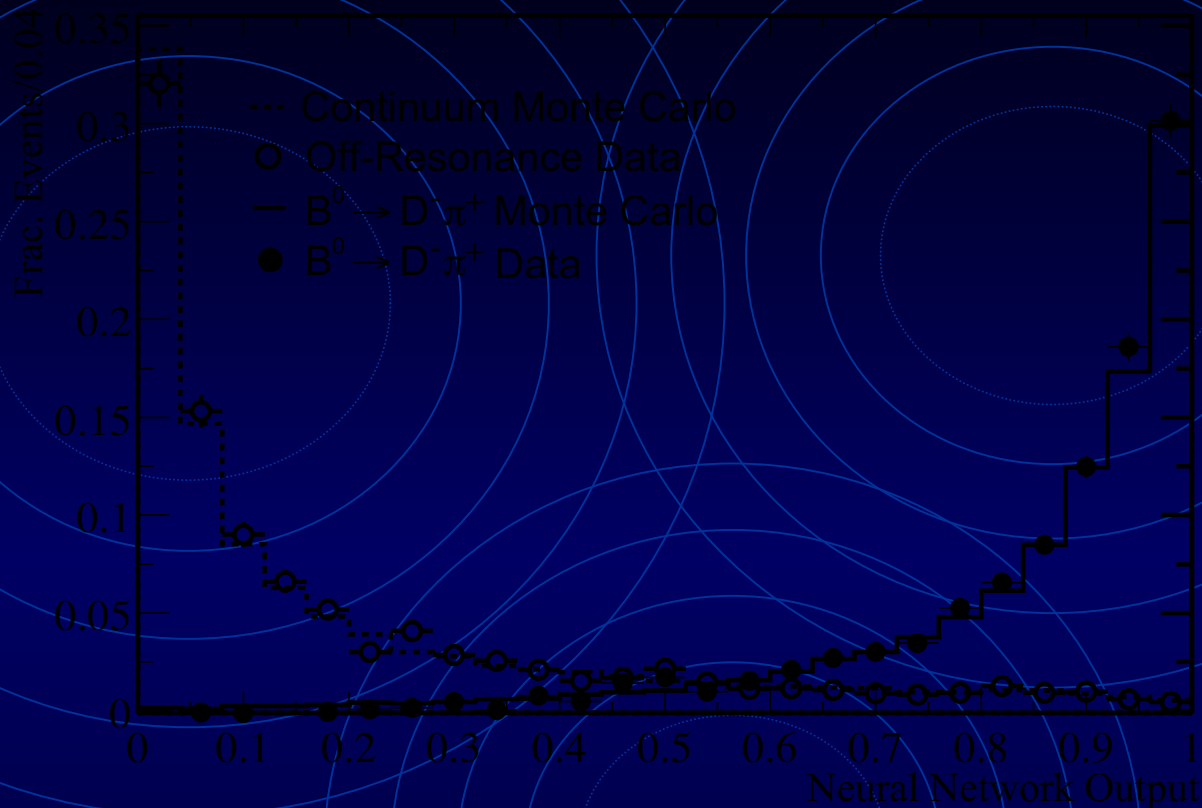
Experiment:

$B(B \rightarrow \rho \gamma) \sim 1/50 B(B \rightarrow K^* \gamma)$   
 $\Gamma_\rho \sim 3 \Gamma_{K^*}$   
 $B \rightarrow K^* \gamma, b \rightarrow s \gamma, B \rightarrow \rho \pi^0$   
 backgrounds

Theory:

15–35% error in  
 $V_{td}/V_{ts}$  extraction  
 cf.  $\Delta M_s / \Delta M_d$  7% error

# Background Rejection



Continuum rejection variables (shape,  $\Delta Z$ , flavor tag) combined in neural net. Validate with control samples.

$\pi^+$  eff. of 80% with  $K^+$  miss-id of 1% removes  $B \rightarrow K^*(K^+ \pi^- / K^+ \pi^0) \gamma$  bkg.



# B $\rightarrow$ $\rho, \omega \gamma$ result

Signal Estimated with Maximum Likelihood Fit ( $\Delta E, M_{ES}, M_{\pi\pi}$ )

Data:  $84 \times 10^6$  BB pairs  
No Signal, 90% C.L. set

a)  $B(B^0 \rightarrow \rho^0 \gamma) < 1.4 \times 10^{-6}$

SM Theory:  $0.49 \pm 0.16 \times 10^{-6}$   
 $0.76^{+0.26}_{-0.23} \times 10^{-6}$

b)  $B(B^+ \rightarrow \rho^+ \gamma) < 2.3 \times 10^{-6}$

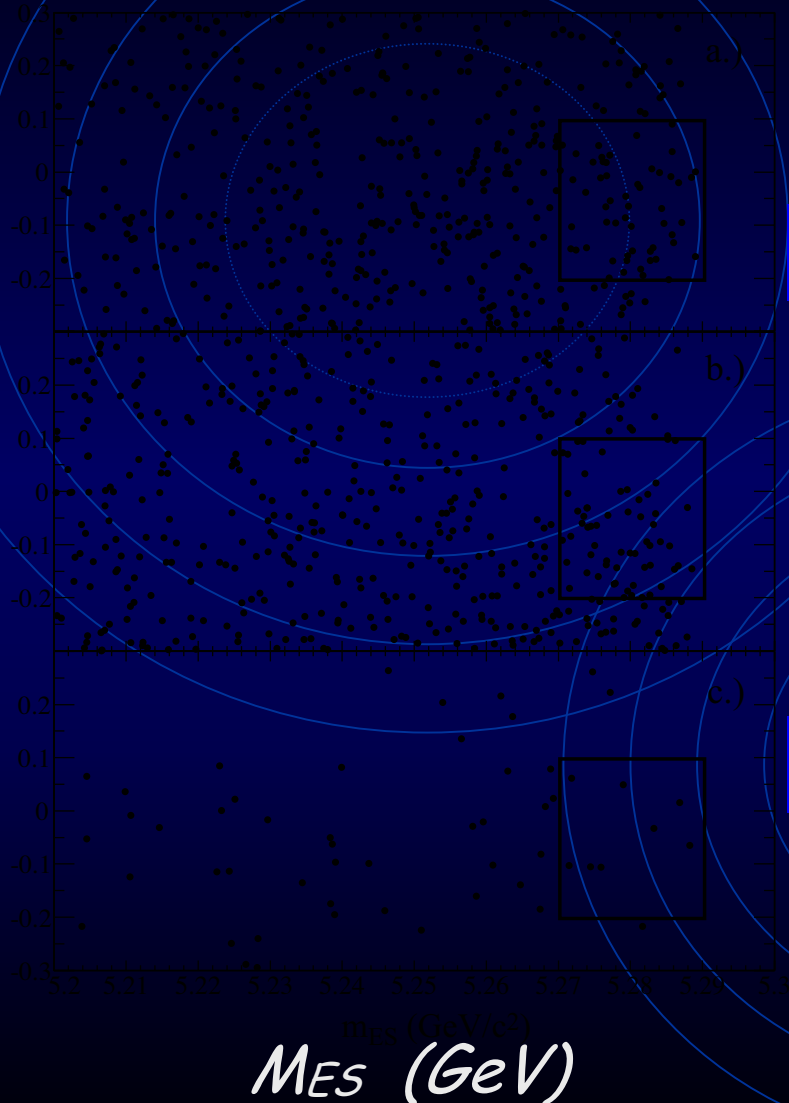
SM Theory:  $0.85 \pm 0.32 \times 10^{-6}$   
 $1.53^{+0.53}_{-0.46} \times 10^{-6}$

c)  $B(B^0 \rightarrow \omega \gamma) < 1.2 \times 10^{-6}$

SM Theory: Same as  $\rho^0 \gamma$  (isospin sym)

Analysis was performed with  
signal region "blinded"

$\Delta E^* \text{ GeV}$



Theory: hep-ph/0105302 0106081

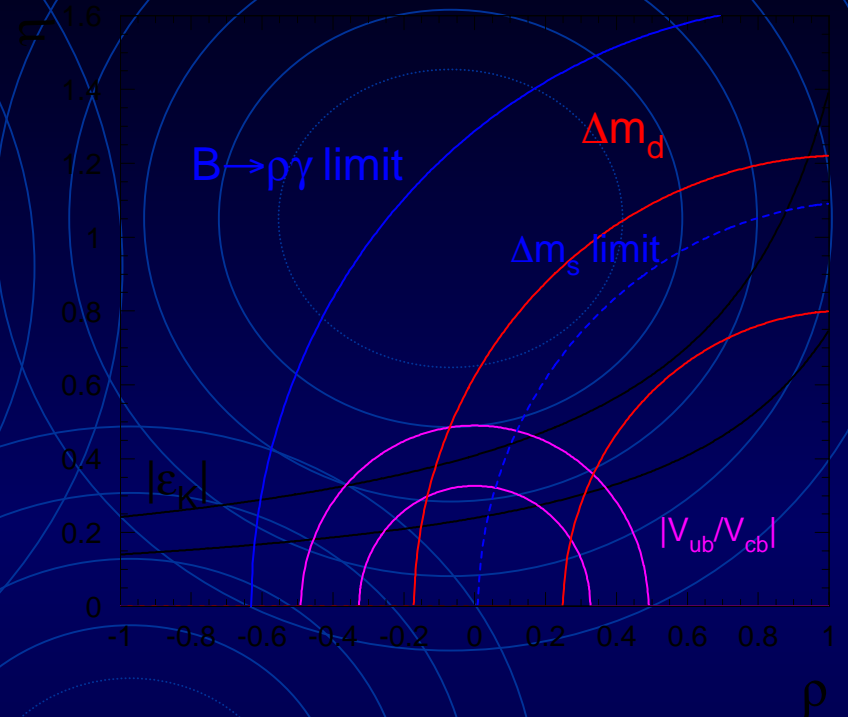
# Unitarity triangle

Combined limit:

$$(B(B^0 \rightarrow \rho^0 \gamma) = B(B^0 \rightarrow \omega \gamma) = 2 \cdot B(B^+ \rightarrow \rho^+ \gamma))$$

$$B(B \rightarrow \rho \gamma) < 1.9 \times 10^{-6}$$

$$\left| \frac{V_{td}}{V_{ts}} \right| < 0.036 \quad 90\% \text{ C.L.}$$



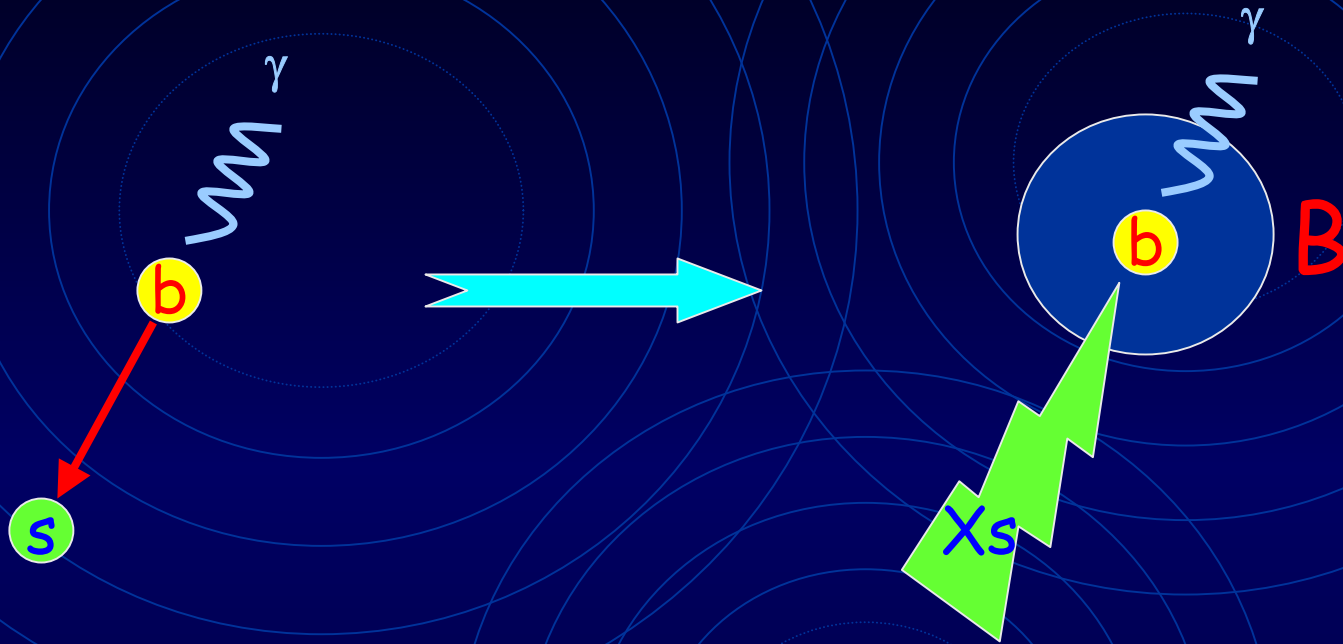
$$\left| \frac{V_{td}}{V_{ts}} \right|^2 \left( \frac{1 - (m_\rho / M_B)^2}{1 - (m_{K^*} / M_B)^2} \right)^3 \xi^2 (1 + \Delta R) = \frac{B(B \rightarrow \rho \gamma)}{B(B \rightarrow K^* \gamma)} < 0.047$$

Using  $\xi=0.7$  and  $\Delta R=-0.25$ : Ali & Parkhomenko (Eur Phys. J. C23:89 (2002))

Implications for beyond SM in Ali & Lunghi hep-ph/0206242

# Inclusive $b \rightarrow s\gamma$

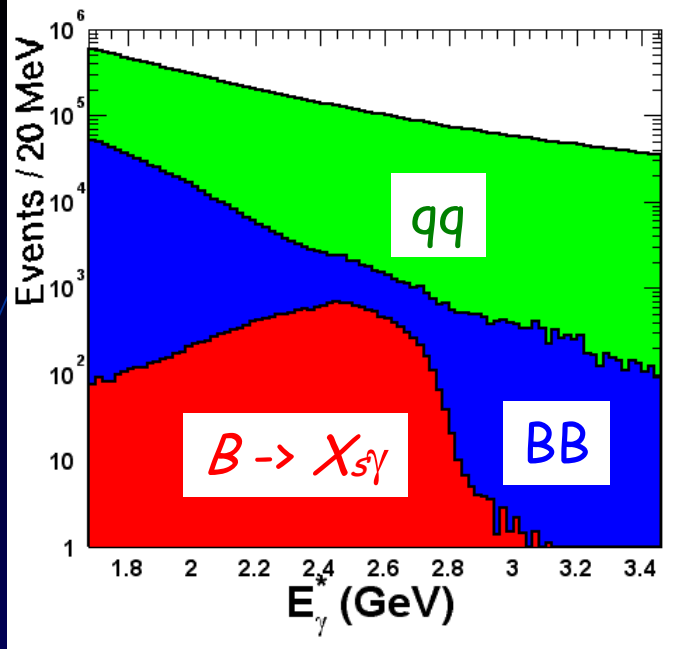
*HQET: Quark-Hadron Duality*  $B(b \rightarrow s\gamma) = B(B \rightarrow Xs\gamma)$



*Theory: NLO*  $B(b \rightarrow s\gamma) = 3.57 \pm 0.30 \times 10^{-4}$  (hep-ph/0207131)

*Phenomenological models of  $E_\gamma$  spectrum parameterized in  $m_b$  and  $\lambda_1$ .*  
(hep-ph/9805303)

*Phenomenological Model of  $Xs$  fragmentation (JETSET) (hep-ph950891)*



If require just  $\gamma$  bkg.  $\sim 10^3$ . Sig.

Challenge is to reduce bkg while  
Minimizing stat.+sys.+model errors

Two approaches:

	<i>Semi-Inclusive</i>	<i>Fully Inclusive</i>
<i>Background Rejection</i>	$\Sigma(\text{Exclusive States})$	<i>Lepton tags</i>
<i>Efficiency</i>	3%	1%
<i>Fraction of <math>X_s</math> states:</i>	50%	100%
<i>qq bkg estimation</i>	<i>Sideband subtraction</i>	<i>Off-resonance data</i>
<i>BB bkg estimation</i>	<i>Monte Carlo</i>	<i>M. Carlo - data validated</i>
<i>X-feed bkg estimation</i>	<i>Monte Carlo</i>	<i>No X-feed</i>
<i>Spectral Resolution</i>	$\Delta M_{X_s} \sim 5 \text{ MeV}$	$\Delta E \sim 100 \text{ MeV}$
<i>Model Dependence</i>	$X_s, K^*/X_s, M_{X_s} \text{ cut}$	$E_\gamma$

# Semi-Inclusive $B \rightarrow X_s \gamma$

$\Sigma(\text{exclusive states}) =$   
 $K^+/K^0_s$  + up to  $3\pi$  ( $1\pi^0$ ), 12 states

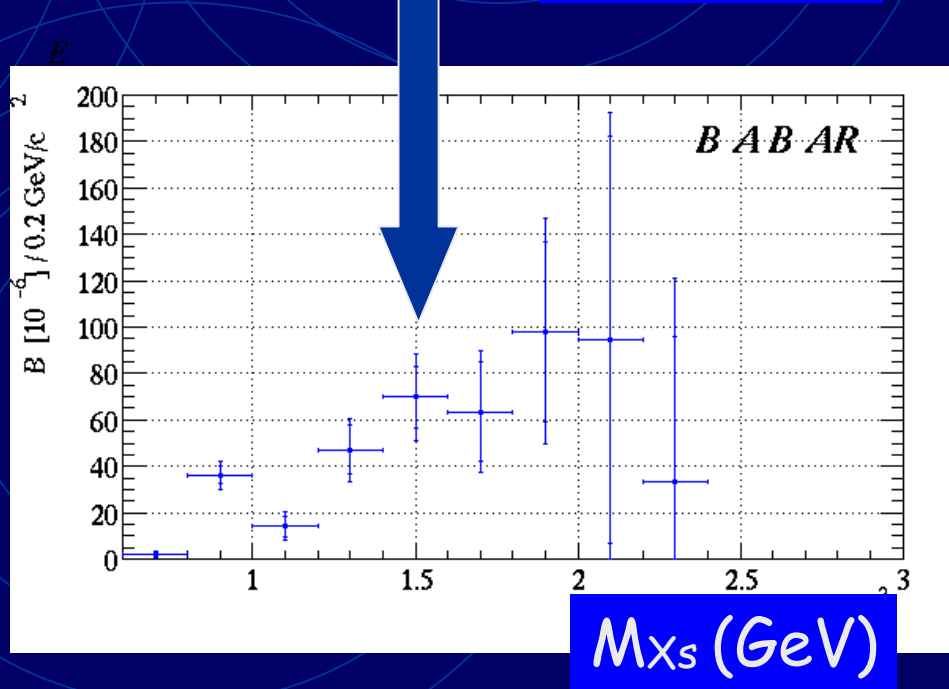
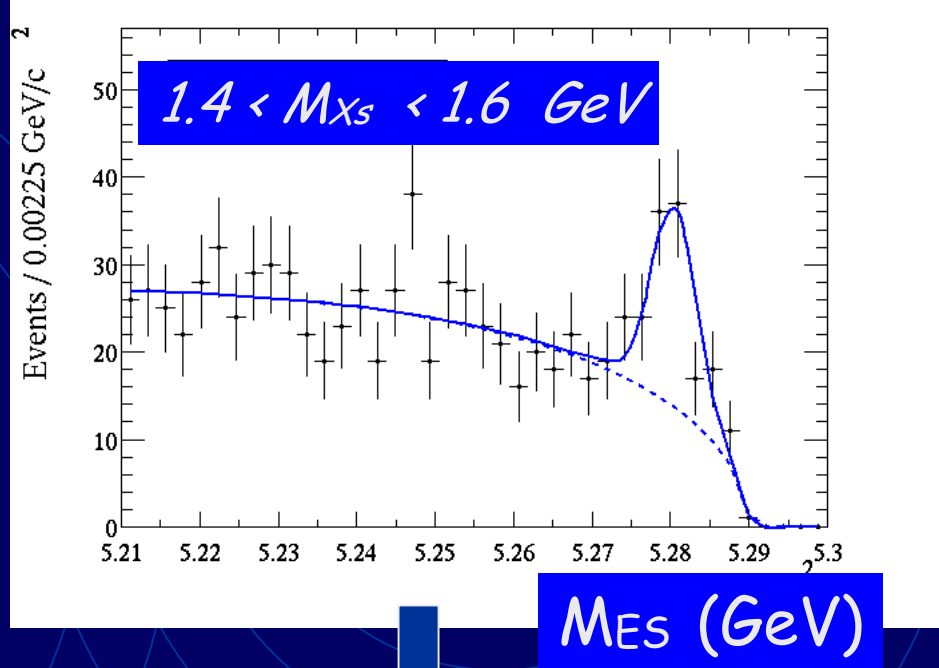
**Data**  
**22M BB**

Subtract continuum with sideband  
X-feed and BB bkg with Monte  
Carlo

Observe discrepancy in JETSET  
simulation of  $X_s$  fragmentation.

Efficiency from Monte Carlo  
weighted to correct discrepancy

Correct for undetected modes



$$E_\gamma = \frac{m_B^2 - m_{X_s}^2}{2m_B}$$

$$\langle E_\gamma \rangle = 2.35 \pm 0.04 \text{ (stat.)} \pm 0.04 \text{ (sys.)}$$



$$\Lambda = 0.37 \pm 0.09 \text{ (stat.)} \pm 0.07 \text{ (sys.)} \pm 0.10 \text{ (theory)}$$

(Using Ligeti et.al PRD 60, 034019 (1999))

&

$$m_b = 4.79 \pm 0.08 \text{ (stat.)} \pm 0.10 \text{ (sys.)} \pm 0.10 \text{ (theory)}$$

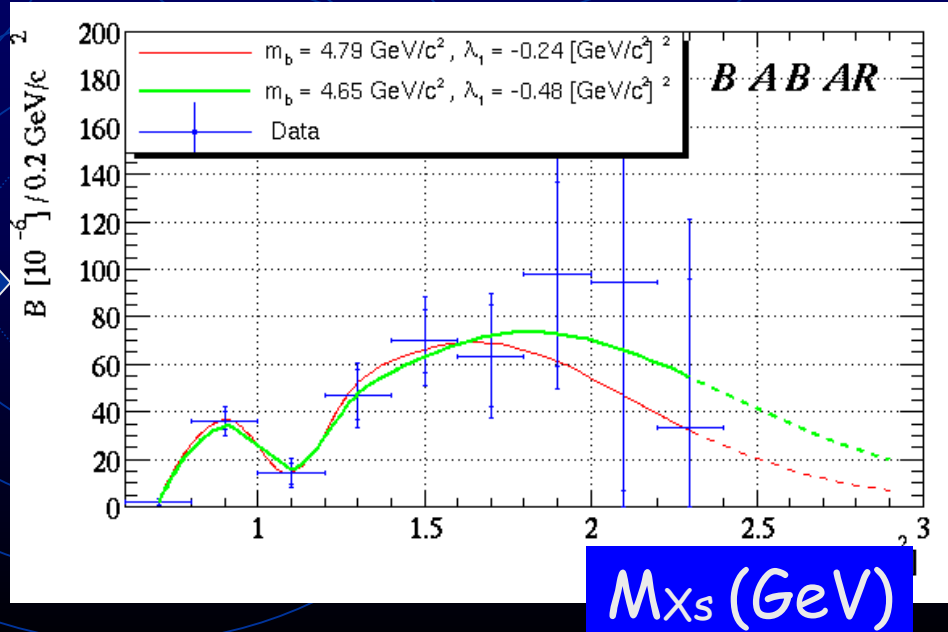
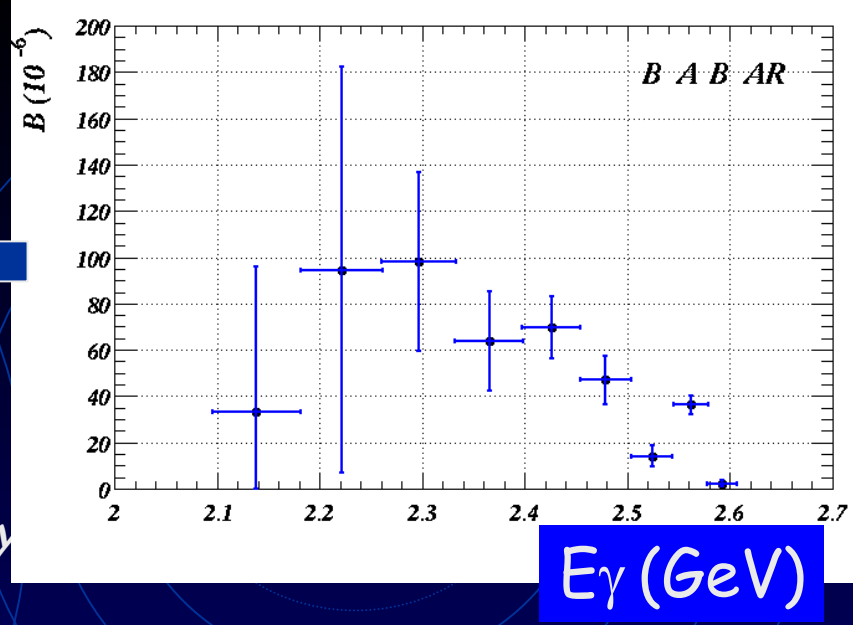
(Ligeti - private comm.)



Fix  $m_b = 4.79$  and fit using spectrum  
Of Kagan & Neubert Euro.Phys. J.  
C 7,5(1999)



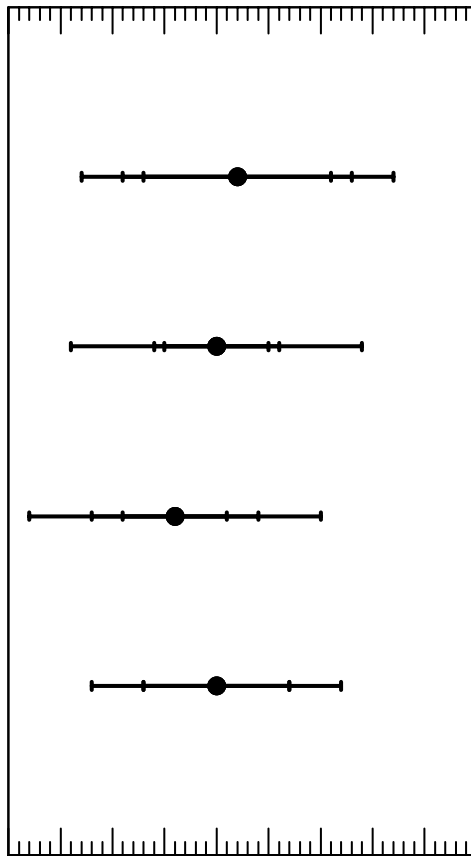
$$B(B \rightarrow X_s \gamma) = 4.3 \pm 0.5 \text{ (stat.)} \pm 0.8 \text{ (sys.)} \pm 1.3 \text{ (theory)} \times 10^{-4}$$





# $\bar{\Lambda}$ from $b \rightarrow s\gamma$

BaBar semi-inc.



$\bar{\Lambda} \pm \text{stat} \pm \text{syst} \pm \text{theo}$

$0.37 \pm 0.09 \pm 0.07 \pm 0.10$  (GeV)

CLEO e moment

$0.35 \pm 0.05 \pm 0.04 \pm 0.12$  (GeV)

CLEO  $\mu$  moment

$0.31 \pm 0.05 \pm 0.06 \pm 0.12$  (GeV)

CLEO  $b \rightarrow s\gamma$

$0.35 \pm 0.07 \pm 0.10$  (GeV)

0.15 0.2 0.25 0.3 0.35 0.4 0.45 0.5 0.55 0.6

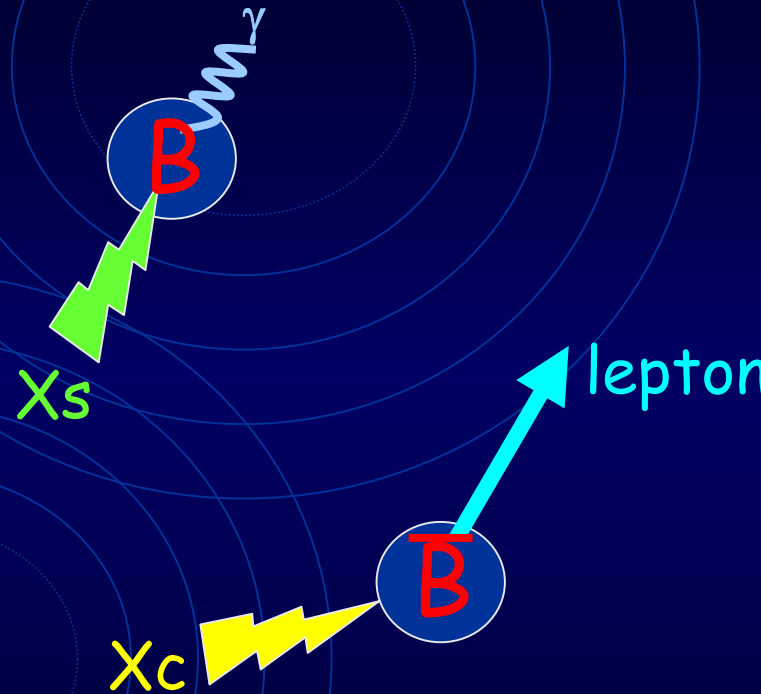
$\bar{\Lambda}$  (GeV)

# Fully Inclusive $B \rightarrow X_s \gamma$

Suppress continuum background  
by requiring high momentum lepton tag  
( $P_e(P_\mu) > 1.3(1.55) \text{ GeV}$ )

Additional shape variable  
 $\cos(\theta_{e\gamma})(\cos(\theta_{\mu\gamma})) > -0.75(-0.7)$

Missing  $E > 1.2 \text{ GeV}$  (Signal leptons from  
 $B \rightarrow X l \nu$ )

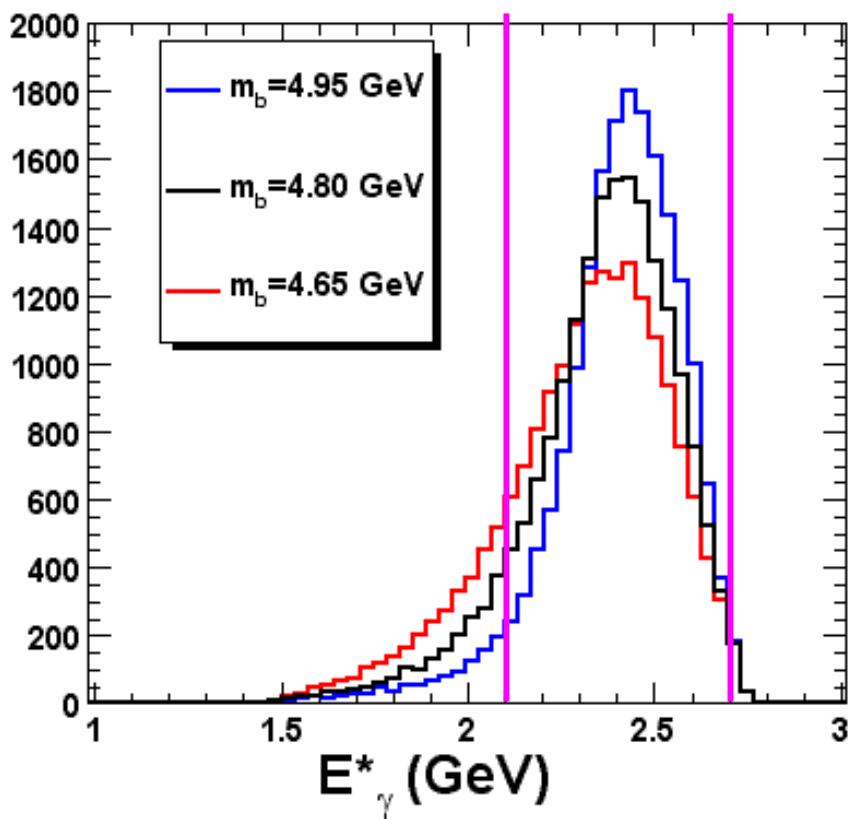


5% Efficiency for  $\times 1200$  reduction in background

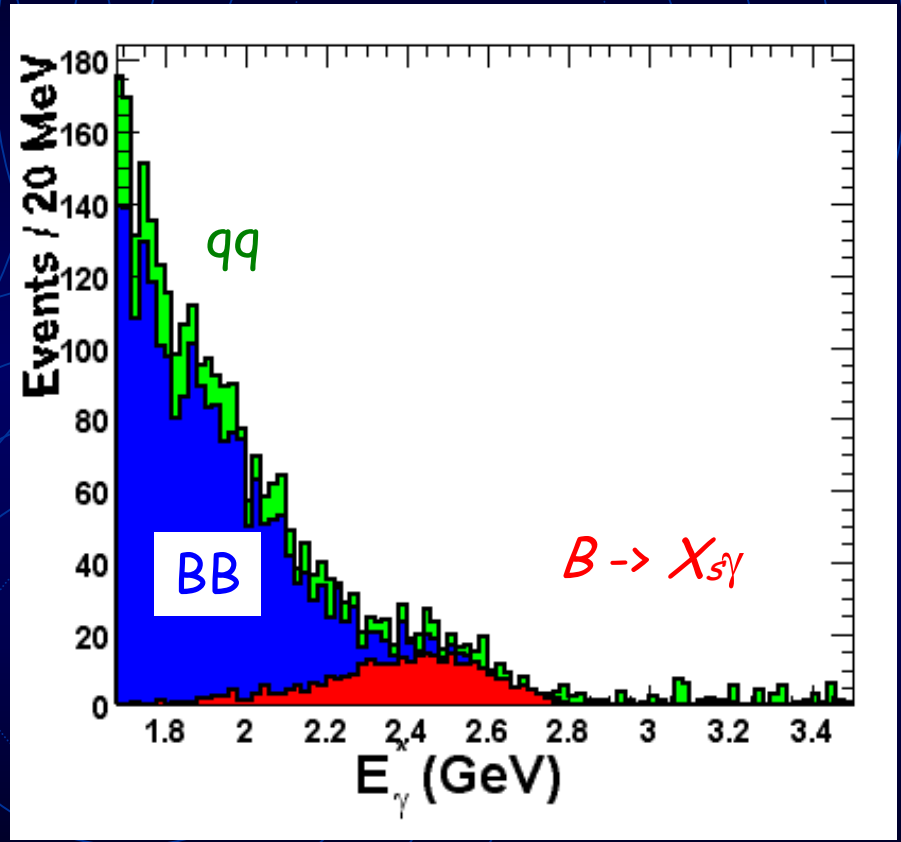
The tag is **uncorrelated** with signal B so no model dependence

# Fully Inclusive $B \rightarrow X_s \gamma$

Model Dependence of  $E^*_{\gamma}$



MC Expectation in  $61 \times 10^6$  BB

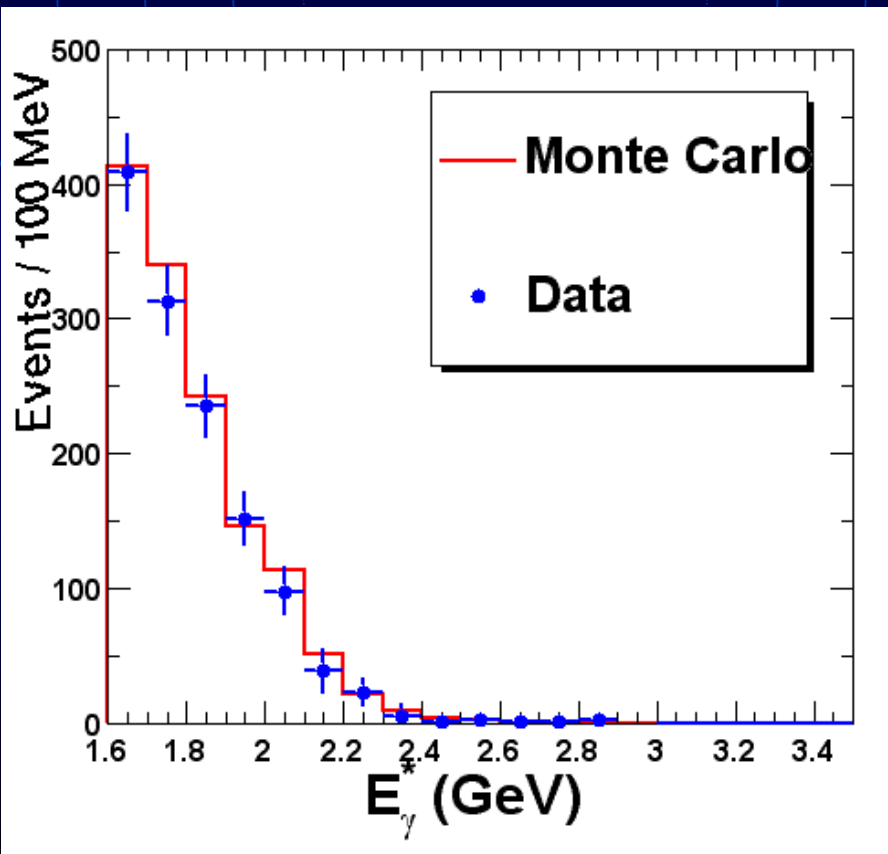


$2.1 < E_{\gamma} < 2.7$  Signal Region (from considering stat+sys+model error)

# Fully Inclusive $B \rightarrow X_s \gamma$

Dominant Systematic Uncertainty is from BB bkg, subtraction

BB  $\pi^0/\eta$  Background Control Sample



BB Background  
~90%  $\pi^0\eta$   
~6% hadrons in EM

MC is used for BB subtraction  
To Test: Same Selection as  
Signal sample except require  
 $\gamma$  to be from  $\pi^0\eta$

Correct MC for integral in  
 $2.1 < E_\gamma^* < 2.7$  GeV  
by factor  $0.89 \pm 0.17$

# Fully Inclusive $B \rightarrow X_s \gamma$

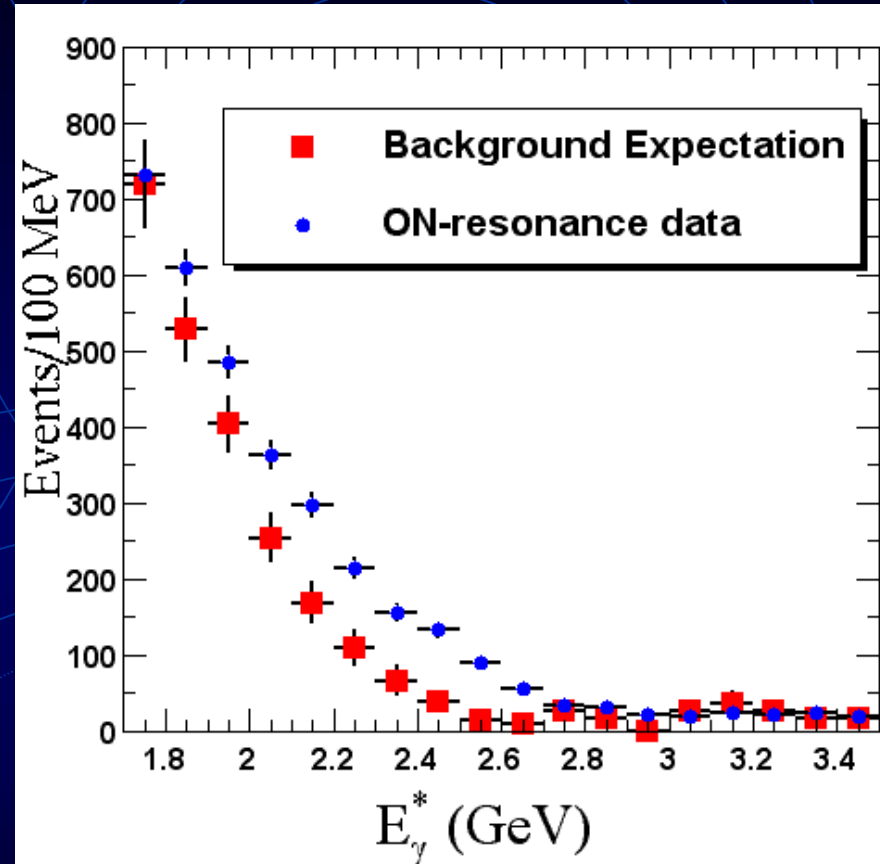
$61 \times 10^6$  BB ( $54.6 \text{ fb}^{-1}$ )

Continuum Subtraction with  
 $6.4 \text{ fb}^{-1}$  of "off-resonance" data

BB subtraction with Monte Carlo

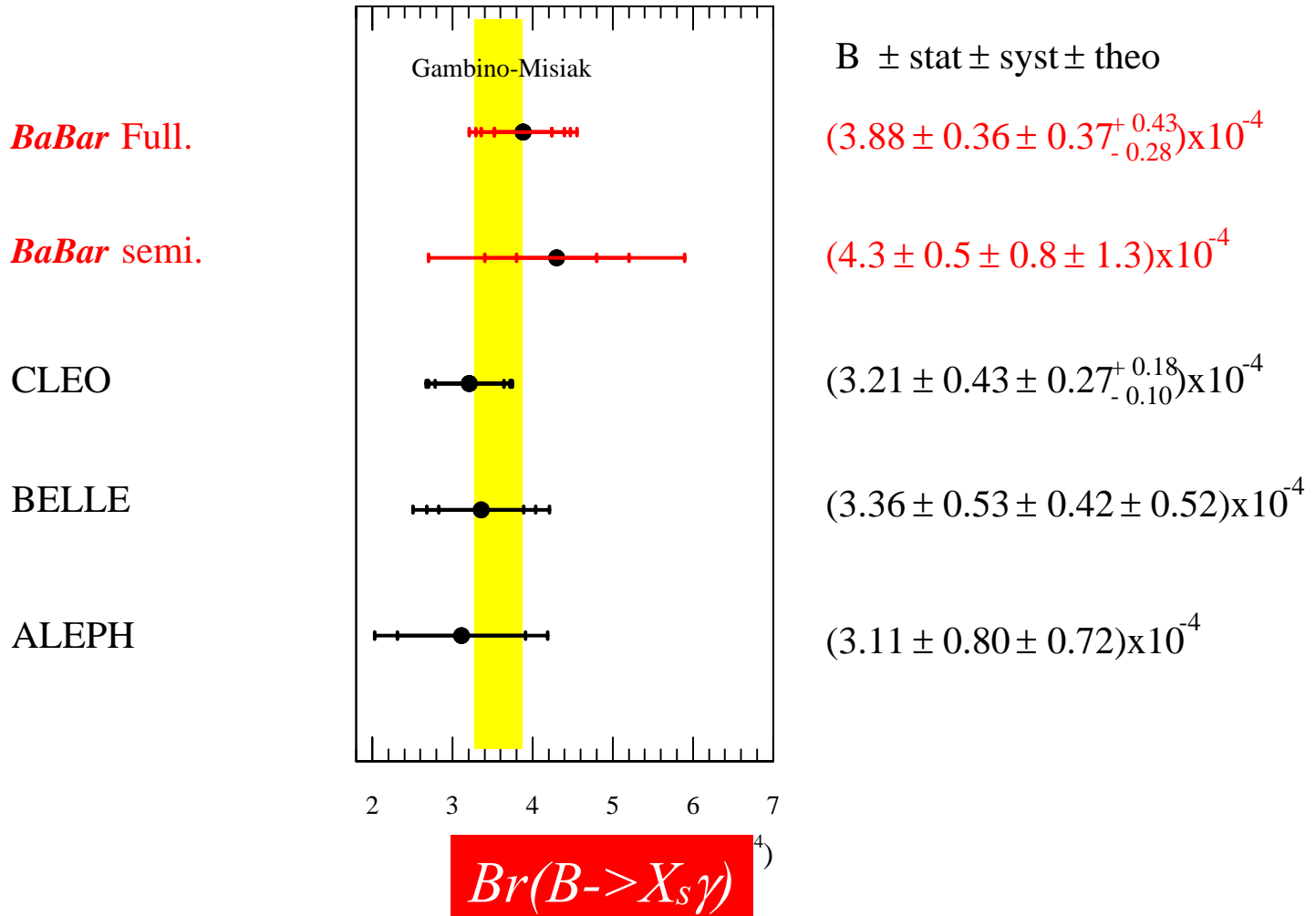
Subtract assumed  $4 \pm 1.6\%$   $b \rightarrow d \gamma$

Signal Region was "blinded"



$$B(B \rightarrow X_s \gamma) = 3.88 \pm 0.36(\text{stat.}) \pm 0.37(\text{sys.}) + 0.43 / -0.23 (\text{theory}) \times 10^{-4}$$

# Br(B- > X<sub>s</sub>γ)





# Conclusions

New limits on  $B \rightarrow \rho, \omega \gamma$ , Will soon help constrain CKM ▲

First results from BaBar on  $B \rightarrow X_{s\gamma}$

New techniques for measuring  $B \rightarrow X_{s\gamma}$  provides  
competitatively  $B(B \rightarrow X_{s\gamma})$  and will improve rapidly (< 10% soon)

Experimental precision is approaching theoretical errors