# **Topics in Meson Spectroscopy**



### •S-wave mesons below 1 GeV

Kaminski, Lesniak and Rybicki [ABS288] hep-ph/0109268 Van Beveren & Rupp [ABS22] hep-ph/0207022 Furman and Lesniak [ABS284] hep-ph/0203255 •Heavy Quarkonium •Exotic Hybrids, present & future

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## S-wave Mesons below 1 GeV

For a recent review see: Close & Tornqvist hep-ph/0204205

The phenomenology of 0<sup>++</sup> sector reflects the many different components of the Fock space:  $q\overline{q}$  $q\overline{q}\overline{q}$  $qq\overline{q}\overline{q}$ Glueballs MM molecules Threshold effects

•So it's a real challenge to understand this sector

- •2 steps
  - •Analyze the raw data
  - •Interpret in terms of underlying models





Information on low energy S-wave  $\pi\pi$  scattering from  $p^-p \rightarrow p^+p^-n$  CERN-Munich experiment [NP B75, 189 (1974)] CERN-Cracow-Munich [NP B150, 301 (1979); B151, 46 (1979)]  $p^-p \rightarrow p^0p^0n$  Brookhaven E852 [PR D64, 07003 (2001)]



•Experiments provide fewer observables than needed to unambiguously describe partial waves

Therefore make assumptions in PWA

- •I gnore role of nucleon spin
- •I gnore a<sub>1</sub> exchange amplitude

Results in ambiguities in extraction of phase shifts from PWA





•Kaminski, Lesniak and Rybicki studied this problem

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[ABS288: hep-ph/0109268]
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to constrain allowed solutions

Apply unitarity

•Non-observation of inelastic scattering below the  $f_0(980)$ 

•Related  $\pi^+\pi^-$  to  $\pi^0\pi^0$  amplitudes







Pseudoscalar (circles) and pseudovector (squares) amplitudes

Conclude that  $a_1$  contributions are significantly different from zero (ratio is 0.2-0.3)



• How to describe these phase shifts in terms of true resonances or from the dynamics between KK, K $\pi$ ,  $\pi\pi$ ?

Van Beveren & Rupp hep-ph/0207022 [ABS22]

- Must look at the meson-meson scattering
  Extract the phase shifts <u>not</u> resonance positions
- •Need multichannel approach which includes resonances (from constituent qq channels) meson-meson interactions

(An interesting and important consequence is that the pole parameters are dependent on the coupling strengths)







Furman and Lesniak, hep-ph/0203255 [ABS284]

Coupled channel model of two  $a_0$  resonances decaying into  $\pi\eta$ , and KK mesons using Lippman-Schwinger equation:

$$\langle \mathbf{p} \,|\, T \,|\, \mathbf{q} \,\rangle = \langle \mathbf{p} \,|\, V \,|\, \mathbf{q} \,\rangle + \int \frac{d^3s}{(2\pi)^3} \langle \mathbf{p} \,|\, V \,|\, \mathbf{s} \,\rangle \langle \,\mathbf{s} \,|\, G \,|\, \mathbf{s} \,\rangle \langle \,\mathbf{s} \,|\, T \,|\, \mathbf{q} \,\rangle$$

where T,V, and G are 2 x 2 matrices



Find significantly different widths in the two channels in agreement with E852 and Crystal Barrel (also used to describe I =0 sector)



•These multichannel approaches Furman & Lesniak hep-ph/0203255 [ABS284] Van Beveren & Rupp hep-ph/0207022 [ABS22] (and others)

obtain a good description of the low lying S-wave spectrum

My impression is that workers in the field have come to a consensus on the general description if not the details.





# Heavy Quarkonium

•Recent interest due to

•CLEO/CESR run on Y(3S)

•Belle observation of  $\eta_c(2S)$  in B decay

•Lattice QCD starting to make quantitative predictions for the hadron mass spectrum

Need to test Lattice calculations against experiment



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- Spin triplet states have been observed
- Few spin singlet states have been seen
- Wide variation in splittings
- Their observation would test the various Calculations
- •Expect many of these states to be found in
  - The recent CESR/CLEO run
  - B-decays at B-factories
  - At future CLEO-c/CESR-c







- CESR/CLEO has just completed a high statistics run at the Y(3S)
- <sup>1<sup>1</sup></sup>D<sub>2</sub> •Expect very rich spectroscopy
  - Estimate the radiative widths and BR using quark model



## Production of the $\mathbf{h}_b(nS)$ states

S.G + J. Rosner, Phys Rev D64, 074011 (2001)

Proceeds via magnetic dipole (M1) transitions:

 $Y(nS) \rightarrow \eta(n'S) + \gamma$ 

$$\Gamma(^{3}S_{1} \rightarrow S_{0} + \boldsymbol{g}) = \frac{4}{3}\boldsymbol{a} \frac{e_{Q}^{2}}{m_{Q}^{2}} \left| \left\langle f \left| j_{0}(kr/2) \right| i \right\rangle \right|^{2} \boldsymbol{w}^{3}$$

•Hindered transitions have large phase space •Relativistic corrections resulting in differences in  ${}^{3}S_{1}$  and  ${}^{1}S_{0}$  wavefunctions due to hyperfine interaction





	Transition	BR (10 <sup>-4</sup> )
Y(3S)		
$(\Gamma_{tot}=52.5 \text{ keV})$	$\rightarrow 3^1 S_0$	0.10
	$\rightarrow 2^{1}S_{0}$	4.7
	$\rightarrow 1^1 S_0$	25
Y(2S)	$\rightarrow 2^1 S_0$	0.21
$(\Gamma_{tot}=44 \text{ keV})$	$\rightarrow 1^1 S_0$	13
Y(1S)	$\rightarrow 1^1 S_0$	2.2
$(\Gamma_{tot}=26.3 \text{ keV})$		

•Expect substantial rate to produce  $\eta_{\rm b}$ 's •Also Y(3S)  $\rightarrow h_{\rm b}({}^{1}\mathrm{P}_{1}) \pi\pi \rightarrow \eta_{\rm b} + \gamma + \pi\pi$ BR=0.1-1% BR = 50%

[Kuang & Yan PRD24, 2874 (1981); Voloshin Yad Fiz 43, 1571 (1986)]



### Production of the singlet P-wave states

S.G + J. Rosner, PR D66 in press



# Need branching ratios and hence partial widths







$$\Gamma[\mathbf{h}(2^{1}S_{0}) \rightarrow h_{b}(1^{1}P_{1}) + \mathbf{g}] = \frac{4}{3}\mathbf{a}e_{Q}^{2}|\langle {}^{1}P_{1}|r|{}^{1}S_{0}\rangle|^{2}\mathbf{w}^{3} = 2.3 \text{ keV}$$
  

$$\Gamma[h_{b}(1^{1}P_{1}) \rightarrow \mathbf{h}_{b}(1^{1}S_{0}) + \mathbf{g}] = \frac{4}{9}\mathbf{a}e_{Q}^{2}|\langle {}^{1}S_{0}|r|{}^{1}P_{1}\rangle|^{2}\mathbf{w}^{3} = 37 \text{ keV}$$
  

$$\Gamma[\mathbf{h}_{b}(2^{1}S_{0}) \rightarrow gg] = \frac{27\mathbf{p}}{5(\mathbf{p}^{2} - 9)\mathbf{a}_{S}} \times \Gamma[\Upsilon(2^{3}S_{1}) \rightarrow ggg] = 4.1 \pm 0.7 \text{ MeV}$$

BR( $3^{3}S_{1} \gamma \rightarrow 2^{1}S_{0} \gamma$ )=4.7 x 10<sup>-4</sup> and BR( $2^{1}S_{0} \gamma \rightarrow 1^{1}P_{1} \gamma$ )=5.7x 10<sup>-5</sup> BR[Y(3S)  $\rightarrow 2^{1}S_{0} \gamma \rightarrow 1^{1}P_{1} \gamma$ ] = 2.6 x 10<sup>-7</sup>  $\Rightarrow$  0.3 events/10<sup>6</sup>Y(3S)'s Similarly

BR[ $\psi(2S) \rightarrow 2^1S_0 \gamma \rightarrow 1^1P_1\gamma$ ] = 10<sup>-6</sup>  $\Rightarrow$  1 event /10<sup>6</sup>Y(3S)'s

(A challenge for the experimentalists!)





A more promising approach utilizes:  $BR[Y(3S) \rightarrow \pi \ 1^1P_1] = 0.1\%$ 

$$\Gamma[h_b(1^1P_1) \to \mathbf{h}_b(1^1S_0) + \mathbf{g}] = \frac{4}{9} \mathbf{a} e_Q^2 |\langle {}^1S_0 | r | {}^1P_1 \rangle |^2 \mathbf{w}^3 = 37 \text{ keV}$$
  
$$\Gamma[h_b(1^1P_1) \to ggg] = \frac{5}{2n_f} \Gamma[\mathbf{c}_{b1}(1^3P_1) \to q\bar{q}g] = 50.8 \text{ keV}$$

 $BR[Y(3S) \rightarrow \pi \ 1^{1}P_{1} \rightarrow 1^{1}S_{0}\gamma] = 4 \ x \ 10^{-4} \Rightarrow 400 \text{ events}/10^{6} \ Y(3S)'s$ 

Similarly

BR[ $\psi(2S) \rightarrow \pi 1^{1}P_{1} \rightarrow 1^{1}S_{0}\gamma$ ] = 3.8 x 10<sup>-4</sup>  $\Rightarrow \sim 400 \text{ event }/10^{6}\psi(2S)$ 's Expect  $\sim 400 \text{ events!}$ 





### **Production of the D-wave states**

- •By direct scans in  $e^+e^-$  to produce  ${}^3D_1$
- •In e.m. cascades:  $Y(3S) \rightarrow \gamma \chi'_b \rightarrow \gamma \gamma ^3D_J$
- •Some  $4\gamma$  cascades with observable # of events/10<sup>6</sup> Y(3S)'s:

Cascade	Events
$3^{3}S_{1} \rightarrow 2^{3}P_{2} \rightarrow 1^{3}D_{3} \rightarrow 1^{3}P_{2} \rightarrow 1^{3}S_{1}$	7.8
$3^{3}S_{1} \rightarrow 2^{3}P_{2} \rightarrow 1^{3}D_{2} \rightarrow 1^{3}P_{1} \rightarrow 1^{3}S_{1}$	2.7
$3^{3}S_{1} \rightarrow 2^{3}P_{1} \rightarrow 1^{3}D_{2} \rightarrow 1^{3}P_{1} \rightarrow 1^{3}S_{1}$	20
$3^{3}S_{1} \rightarrow 2^{3}P_{1} \rightarrow 1^{3}D_{1} \rightarrow 1^{3}P_{1} \rightarrow 1^{3}S_{1}$	3.3

S.G + J. Rosner, Phys Rev D64, 097501 (2001)

- Expect ~38 events /10<sup>6</sup> Y(3S) via <sup>3</sup>D<sub>J</sub>
- •The e<sup>+</sup>e<sup>-</sup> final states leads to less background
- $\mu^+\mu^-$  final states also contribute if  $\mu$ 's are identified



In the CESR run just completed expect to see evidence for the

 $2^{1}S_{0}, 1^{1}S_{0}, 1^{1}P_{1}, 1^{3}D_{2}$ 

And maybe the

 $3^{1}S_{0}$ ,  $1^{3}D_{1}$  and  $1^{3}D_{3}$ 

Would represent a significant increase in our knowledge of quarkonium and provide an important benchmark against which to measure the results of lattice QCD







Suzuki proposed to search for the  $h_c$  in  $B \rightarrow h_c X$  [hep-ph/0204043] [see also Eichten Lane & Quigg hep-ph/0206018; Gu hep-ph/0206002]

Other related work by Hao Liu & Chao hep-ph/0206226

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# Exotic Hybrids

Quarks move in effective potentials of adiabatically varying state of flux tubes
Lowest excited adiabatic surface corresponds to transverse excitations



Lowest mass hybrids at ~1.9 GeV Doubly degenerate: J<sup>PC</sup> = 0<sup>+-</sup> 0<sup>-+</sup> 1<sup>+-</sup> 1<sup>-+</sup> 2<sup>+-</sup> 2<sup>-+</sup> 1<sup>++</sup> 1<sup>--</sup>

transverse phonon modes

ground state

 $\pi/r$ 

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1 GeV mass difference (p/r)

Normal mesons



### **An Exotic Signal in E852**

#### Correlation of Phase & Intensity





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## What about the future?



Hall D at Jefferson Lab

#### "Searching for Exotic Gluonic Excitations"



### Photoproduction:



#### Proposal to upgrade CEBAF to 12 GeV Produce photons through coherent bremsstrahlung



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#### **Construction start – 2004**



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# Summary

- S-wave  $\pi\pi$  scattering far from a closed book but definite progress in our understanding
- Expect great progress in heavy quarkonium spectroscopy
- Confirmation and mapping out of hybrid-meson spectrum is one of the most important qualitative question facing hadron spectroscopy
- Theory and Experiment go hand in hand to fully understand Soft QCD



